### V CHAPTERS

# Optical Elements Polarization Optics Optical Isolators Optical Systems Optics Kits **V** SECTIONS Spherical Lenses Achromatic Lenses Aspheric Lenses Cylindrical Lenses Mirrors Spectral Filters ND Filters **Beamsplitters** Prisms **Gratings**

Equilateral Dispersive Prism



complete models and drawings.

For current pricing, please see our website.

#### **Specifications**

- **Materials:** F2 or N-SF11 (See Price Table)
- **Dimensional Tolerances:**  $\pm 0.15$  mm
- **Angular Tolerances:** ±5 arcmin
- **Clear Aperture:** 70% of Entrance Faces
- n **Surface Flatness:** λ/10 at 633 nm
- **Surface Quality:** 40-20 Scratch-Dig
- **Number of Polished Faces: 2**

Dispersive Equilateral Prisms create less stray light, thus eliminating the higher order problems associated with diffraction gratings. Two high refractive index, low Abbe V<sub>d</sub> number glasses have been chosen to provide the maximum dispersive power. The Abbe  $V_d$  number is given by

$$
V_d = (n_d - 1) / (n_F - n_C)
$$

where n, n, and n are the indices of refraction for the helium d-line  $(587.6 \text{ nm})^2$ , the hydrogen F-line (486.1 nm), and the hydrogen C-line (656.3 nm), respectively. These prisms are typically used at the minimum angle of deviation. This is the angle at which the wavelength of interest travels parallel to the base of the prism, and the angle of incidence is equal to the angle of refraction. For more details on using these prisms at the minimum angle of deviation, please visit **www.thorlabs.com**

#### **Please Note: N-SF11 stains easily. To maintain the optical quality of N-SF11 optics, clean off fingerprints quickly.**



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\* The minimum deviation angle is the angle of deviation at which light rays pass through the prism parallel to its base. To calculate γ (minimum deviation angle) use n = sin[(γ + 60°)/2]/sin 30°. The incident<br>angle that r ( ) ( ) *<sup>f</sup> short* θ *f* θ *<sup>c</sup>* <sup>ω</sup>*d* φ ω = cos − <sup>2</sup>

## Dispersion-Compensating Prism Pairs for Ultrafast Lasers

#### **Specifications**

Windows **Diffusers** 

n **Spectral Range:** 700 – 900 nm

H

- **Apex Angles Tolerance:**  $\pm$ 15 arcmin
- **Unpolished Sides:** Flat and Ground
- **Surface Flatness:** λ/4 at 633 nm

Dispersing prism pairs are used to compensate for spectral dispersion that occurs in ultrafast laser systems. This dispersion increases inversely with the pulse width, so it can become a significant factor when using ultrafast lasers. The apex angle  $(\alpha)$  in these prisms is chosen such that the input and output angles are both at Brewster's Angle  $(\theta_{\mathbf{R}})$ .

The accumulated phase  $\phi(\omega)$  in a prism pair is equal to

$$
\phi(\omega) = \frac{2\omega d}{c} \cos \left(\theta_f^{short} - \theta_f\right)
$$

where the variables  $\omega$ , d,  $\theta_f$ , and  $\theta_f^{\text{short}}$  correspond to frequency, prism separation, frequency-dependent exit angle, and exit angle of the shortest transmitted wavelength, respectively. Solving for the frequency-dependent exit angle gives

$$
\theta_f(\omega) = \arcsin\big[n\sin\big(\alpha - \arcsin\big(n^{-1}\sin\theta_B\big)\big)\big]
$$

where n,  $\theta_B$ , and  $\alpha$  correspond to the frequency-dependent refractive index of the prism material, angle of incidence with the surface of the first prism, and apex angle of the prism, respectively. The second and third derivatives of the accumulated phase with respect to frequency are defined to be the Group Velocity Dispersion (GVD) and the Third-Order Dispersion (TOD), respectively.



\*Apex Angle \*\*Brewster's Angle

α

15 mm

 $-10$  mn